## Mining Life Event Sequences

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Mining Life Event Sequences
    Introduction
    Objectives
        Objectives (continued)
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- Demonstrate the kind of results that can be obtained by mining event subsequences
- Search for
- most frequent subsequences
- subsequences that best discriminate groups (provided covariate)
- New concept of frequent maximal subsequence for more interesting results


## Mining Life Event Sequences

Introduction
Objectives
Objectives

- Data-mining-based methods (pattern mining)
- Discovering interesting information from sequences of life events, i.e., on how people sequence important life events
- What is the most typical succession of family or professional life events?
- Are there standard ways of sequencing those events?
- What are the most typical events that occur after a given subsequence such as after leaving home and ending education?
- How is the sequencing of events related to covariates?
- Which event sequencings do best discriminate groups such as men and women?
- Mining of frequent (Agrawal and Srikant, 1995; Mannila et al., 1995; Bettini et al., 1996; Mannila et al., 1997; Zaki, 2001) and discriminant event subsequences


## Mining Life Event Sequences <br> Introductio

Objectives

## What's new

- Previous attempts with event sequences in social sciences (e.g. Billari et al., 2006; Ritschard et al., 2007) mainly consisted in counting predefined subsequences


Switzerland, SHP 2002 biographical survey $(n=5560)$

Event sequences versus state sequences

- State sequence: states last a whole interval period

| age | 20 | 21 | 22 | 23 | 24 | 25 | 26 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| state | $2 P$ | $2 P$ | $A$ | $A$ | UC | UC | UC |

- Event sequence: events occur at a given (time) position
- Interest in their order, in their sequencing
- Can be time stamped (TSE)

| id | Timestamp | Event |
| :--- | :---: | :--- |
| 101 | 22 | Leaving Home |
| 101 | 24 | Start living with partner |
| 101 | 24 | Childbirth |




## Mining Life Event Sequences

troduction
The Biographical Data from the Swiss Household Panel

## The Biographical SHP Data

- Sequences derived from the biographical survey conducted in 2002 by the Swiss Household Panel www. swisspanel.ch
- Retain the 1503 cases studied in Widmer and Ritschard (2009) with techniques for state sequences
- Two channels: Cohabitational and occupational
- Only individuals aged 45 or more at survey time
- Focus on life trajectory between 20 and 45 years
- Granularity is yearly level
Introduction
The Biograptical Data from the Swiss Household Pane
The Occupational State Sequences

$\qquad$

Short and long state labels

## Mining Life Event Sequences

Introduction
The Biogrial Data from the Swiss Household Panel
Events associated to cohabitational state transitions

- For cohabitational trajectories, we convert states to events by defining the events associated to the state transitions

|  | 2 P | 1P | PP | A | U | UC | UN | C | F | 0 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2 P | "2P" | "1P" | "PP" | "LH, A" | "LH,U" | "LH, U, C" | "LH,U,C" | "LH,C" | "LH, A" | "LH,0" |
| 1 P | "2P" | "1P" | "PP" | "LH, A" | "LH,U" | "LH, U, C" | "LH,U,C" | "LH, C" | "LH, A" | "LH,0" |
| PP | "2P" | "1P" | "PP" | "LH, A" | "LH,U" | "LH, U, C" | "Lh, U, C" | "LH, C" | "LH, A" | "LH, O" |
| A | "2P" | "1P" | "PP" | "A" | "U" | "U,C" | "U,C" | "C" | "" | "0" |
| U | "2P" | "1P" | "PP" | "UE, A" | "U" | "C" | "C" | "C" | "UE, A" | "UE,0" |
| UC | "2P" | "1P" | "PP" | "UE, CL, A" | "CL" | "U,C" | "CL, C" | "UE" | "UE, CL, A" | "UE, CL, 0" |
| UN | "2P" | "1P" | "PP" | "UE,CL,A" | "CL" | "C" | "U,C" | "UE,C" | "UE, CL, A" | "UE, CL, O" |
| C | "2P" | "1P" | "PP" | "CL, A" | "CL, U" | "U" | "CL, C" | "C" | "CL, A" | "CL, 0 " |
| F | "2P" | "1P" | "PP" | "" | "U" | "U,C" | "U,C" | "C" | "A" | "0" |
| 0 | "2P" | "1P" | "PP" | "A" | "U" | "U,C" | "U,C" | "C" | "A" | "0" |

- For occupational trajectories, we assign an event to the start of each spell in a state.


## Mining Life Event Sequences

Introduction
he Biographical Data from the Swiss Household Panel
Rendering cohabitational event sequences
(Bürgin and Ritschard, 2012)


[^0]
## Mining Life Event Sequences

Introductio
Rendering occupational event sequences
(Bürgin and Ritschard, 2012)


Frequent subsequences versus Frequent itemsets
Frequent subsequences versus Frequent itemsets - 1

- Mining of frequent itemsets and association rules has been popularized in the 90's with the work of Agrawal and Srikant (1994); Agrawal et al. (1995) and their Apriori algorithm.
- Find out items that customers often buy together
- Symptoms that often occur together before a failure

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Mining Life Event Sequences
    Frequent subsequences in TraMineR
    Terminolgy
        Events and transitions
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- Event sequence: ordered list of transitions.
- Transition: a set of non ordered events.


## Example

(LHome, Union) $\rightarrow$ (Marriage) $\rightarrow$ (Childbirth)

- (LHome, Union) and (Marriage) are transitions.
- "LHome", "Union" et "Marriage" are events.


## Mining Life Event Sequences

Introduction
Frequent subsequences versus Frequent itemsets - 2

- Interest on sequences for accounting for the time order of the buys or symptoms
- Mining typical event sequences is a specialized case of the mining of frequent itemsets
- More complicated however
- Must specify a counting method: How should we count multiple occurrences of a subsequence in a same sequence?
- Which time span should be covered? Maximal gap between two events? ...
- Best known algorithms by Bettini et al. (1996), Srikant and Agrawal (1996), Mannila et al. (1997) and Zaki (2001).
- Algorithm in TraMineR is adaptation of the tree search described in Masseglia (2002).


## Mining Life Event Sequences <br> Frequent subsequences in TraMineR <br> Terminolgy <br> \section*{Subsequence}

- A subsequence $B$ of a sequence $A$ is an event sequence such that
- each event of $B$ is an event of $A$,
- events of $B$ are in same order as in $A$.


## Example

$A$ (LHome, Union) $\rightarrow$ (Marriage) $\rightarrow$ (Childbirth).
$B$ (LHome, Marriage) $\rightarrow$ (Childbirth).
$C$ (LHome) $\rightarrow$ (Childbirth).

- $C$ is a subsequence of $A$ and $B$, since order of events is respected.
- $B$ is not a subsequence of $A$, since we don't know in $B$ whether "LHome" occurs before "Marriage".

LVES宔:

Frequent and discriminant subsequences

- Support of a subsequence: number of sequences that contain the subsequence.
- Frequent subsequence: sequence with support greater than a minimal support.
- A subsequence is discriminant between groups when its support varies significantly across groups


## Mining Life Event Sequences

Frequent Swiss life course subsequences

## Frequent cohabitational subsequences

10 most frequent subsequences, min support $=50$

- With at least 2 events

Remember that we assigned the state at age 20 as start event

|  | Subsequence | Support | Count | \#Transitions | \#Events |
| ---: | :--- | :---: | :---: | :---: | :---: |
| 1 | $(2 \mathrm{P}) \rightarrow(\mathrm{LH})$ | 0.621 | 934 | 2 | 2 |
| 2 | $(2 \mathrm{P}) \rightarrow(\mathrm{U})$ | 0.582 | 874 | 2 | 2 |
| 3 | $(2 \mathrm{P}) \rightarrow(\mathrm{C})$ | 0.477 | 717 | 2 | 2 |
| 4 | $(\mathrm{LH}, \mathrm{U})$ | 0.454 | 682 | 1 | 2 |
| 5 | $(\mathrm{U}) \rightarrow(\mathrm{C})$ | 0.429 | 645 | 2 | 2 |
| 6 | $(2 \mathrm{P}) \rightarrow(\mathrm{LH}, \mathrm{U})$ | 0.392 | 589 | 2 | 3 |
| 7 | $(\mathrm{LH}) \rightarrow(\mathrm{C})$ | 0.382 | 574 | 2 | 2 |
| 8 | $(\mathrm{~A}) \rightarrow(\mathrm{U})$ | 0.376 | 565 | 2 | 2 |
| 9 | $(2 \mathrm{P}) \rightarrow(\mathrm{LH}) \rightarrow(\mathrm{C})$ | 0.325 | 489 | 3 | 3 |
| 10 | $(\mathrm{C}, \mathrm{U})$ | 0.291 | 437 | 1 | 2 |

[^1]Frequent subsequences easily extends to multichannel

- Here we have cohabitational and occupational trajectories
- Merging the two series of time stamped events
- we get mixed cohabitational/occupational event sequences


Mining Life Event Sequences
Frequent Swiss life course subsequence
Merged cohabitational and occupational sequences
12 most frequent subsequences, min support 150

|  | Subsequence | Support | Count | \#Transitions | \#Events |
| ---: | :--- | :---: | :---: | :---: | :---: |
| 1 | $(\mathrm{FT}) \rightarrow(\mathrm{U})$ | 0.695 | 1045 | 2 | 2 |
| 2 | $(2 \mathrm{P}) \rightarrow(\mathrm{LH})$ | 0.621 | 934 | 2 | 2 |
| 3 | $(\mathrm{FT}) \rightarrow(\mathrm{C})$ | 0.583 | 876 | 2 | 2 |
| 4 | $(2 \mathrm{P}) \rightarrow(\mathrm{U})$ | 0.582 | 874 | 2 | 2 |
| 5 | $(\mathrm{FT}) \rightarrow(\mathrm{LH})$ | 0.555 | 834 | 2 | 2 |
| 6 | $(2 \mathrm{P}) \rightarrow(\mathrm{C})$ | 0.477 | 717 | 2 | 2 |
| 7 | $(\mathrm{LH}, \mathrm{U})$ | 0.454 | 682 | 1 | 2 |
| 8 | $(\mathrm{U}) \rightarrow(\mathrm{C})$ | 0.429 | 645 | 2 | 2 |
| 9 | $(2 \mathrm{P}) \rightarrow(\mathrm{LH}, \mathrm{U})$ | 0.392 | 589 | 2 | 3 |
| 10 | $(\mathrm{LH}) \rightarrow(\mathrm{C})$ | 0.382 | 574 | 2 | 2 |
| 11 | $(2 \mathrm{P}, \mathrm{FT})$ | 0.378 | 568 | 1 | 2 |
| 12 | $(\mathrm{~A}) \rightarrow(\mathrm{U})$ | 0.376 | 565 | 2 | 2 |


| Mining Life Event Sequences |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |
|  |  |  |  |  |  |
| Mixed events: Subsequences that best discriminate se |  |  |  |  |  |
| Subsequence | Chi-2 | Support | Freq. Men | Freq. Women | Diff |
| 1 (FT) $\rightarrow$ (AH) | 322.7 | 0.26 | 0.060 | 0.470 | -0.410 |
| 2 (AH) | 317.5 | 0.41 | 0.181 | 0.634 | -0.453 |
| 3 (PT) | 269.7 | 0.28 | 0.088 | 0.469 | -0.381 |
| $4(\mathrm{U}) \rightarrow$ (PT) | 260.4 | 0.20 | 0.036 | 0.373 | -0.337 |
| $5(\mathrm{FT}) \rightarrow(\mathrm{PT})$ | 247.5 | 0.22 | 0.051 | 0.387 | -0.337 |
| $6(\mathrm{FT}) \rightarrow(\mathrm{U}) \rightarrow$ ( AH ) | 228.2 | 0.16 | 0.016 | 0.302 | -0.286 |
| $7(\mathrm{U}) \rightarrow(\mathrm{AH})$ | 226.0 | 0.20 | 0.041 | 0.350 | -0.309 |
| $8(\mathrm{AH}) \rightarrow(\mathrm{PT})$ | 195.5 | 0.13 | 0.008 | 0.252 | -0.244 |
| $9(\mathrm{C}) \rightarrow$ (PT) | 193.3 | 0.15 | 0.019 | 0.273 | -0.254 |
| $10(\mathrm{FT}) \rightarrow(\mathrm{U}) \rightarrow(\mathrm{PT})$ | 192.7 | 0.16 | 0.027 | 0.289 | -0.262 |

- Mainly occupational events (FT, PT and AH)
- In conjunction with a few cohabitational ones (U and C)


## Mining Life Event Sequences

Frequent Swiss life course subsequences

## Interesting frequent subsequences

- To get interesting knowledge we need to compare
most frequent subsequences
- with longer less frequent subsequences in which they are included.
- For example

|  | Subsequence | Support | Count | \#Transitions | \#Events |
| :--- | :--- | :---: | :---: | :---: | :---: |
| 2 | $(2 \mathrm{P}) \rightarrow($ LH $)$ | 0.621 | 934 | 2 | 2 |
| 4 | (2P) $\rightarrow$ (U) | 0.582 | 874 | 2 | 2 |
| 9 | $(2 P) \rightarrow($ LH, U $)$ | 0.392 | 589 | 2 | 3 |

- Here, we know that
- among the $62.1 \%$ who left home (LH) after living with both parents (2P) when 20 years old
39.2/62.1 = 63\% left home to start a union the same year


## Mining Life Event Sequences <br> Differentiating between

Mixed events: Subsequences that best discriminate sex at the $0.1 \%$ level


Color by sign and significance of Pearson's residual

- Negative 0.01 - Negative 0.05 n neutral $\square$ Positive 0.05 - Postive 0.01




## Mining Life Event Sequences

Discriminant subsequences
Mixed events: Subsequences that best discriminate birth cohorts

|  | Subsequence | Chi-2 | Support | $1910-25$ | $1926-45$ | $1946-57$ |
| ---: | :--- | :---: | :---: | :---: | :---: | :---: |
| 1 | $($ PT $)$ | 64.5 | 0.28 | 0.042 | 0.205 | 0.362 |
| 2 | $(\mathrm{U}) \rightarrow(\mathrm{PT})$ | 63.0 | 0.20 | 0.014 | 0.135 | 0.281 |
| 3 | $(\mathrm{FT}) \rightarrow(\mathrm{PT})$ | 56.1 | 0.22 | 0.014 | 0.156 | 0.291 |
| 4 | $(\mathrm{~A}) \rightarrow(\mathrm{PT})$ | 46.3 | 0.11 | 0.028 | 0.055 | 0.160 |
| 5 | $(\mathrm{FT}) \rightarrow(\mathrm{U}) \rightarrow(\mathrm{PT})$ | 38.5 | 0.16 | 0.000 | 0.114 | 0.210 |
| 6 | $(\mathrm{ED}) \rightarrow(\mathrm{PT})$ | 36.8 | 0.11 | 0.028 | 0.065 | 0.159 |
| 7 | $(\mathrm{LH}) \rightarrow(\mathrm{PT})$ | 35.9 | 0.15 | 0.014 | 0.109 | 0.204 |
| 8 | $(\mathrm{U}) \rightarrow(\mathrm{C})$ | 34.2 | 0.43 | 0.239 | 0.370 | 0.497 |
| 9 | $(\mathrm{C}) \rightarrow(\mathrm{PT})$ | 34.0 | 0.15 | 0.014 | 0.103 | 0.194 |
| 10 | $(2 \mathrm{P}) \rightarrow(\mathrm{PT})$ | 32.7 | 0.17 | 0.014 | 0.126 | 0.215 |

- Mainly emergence of Part-time (PT)
LIVES": (3) unverit


## Mining Life Event Sequences

Maximal subsequences
Too many frequent subsequences

- There are often too many frequent subsequences!
- How can we structure those subsequences?
- Eliminate redundant subsequences: When you experience one subsequence you also experiment all its subsequences.
- Count only maximal subsequences
- If subsequence (FT) $\rightarrow$ (AH) $\rightarrow$ (PT) is observed,
- we would not count the occurrence of (FT) $\rightarrow$ (AH), (FT) $\rightarrow$ (PT) or (AH) $\rightarrow$ (PT)


## Frequent maximal subsequence: Definition

- Frequent maximal subsequence: In each sequence, we count only those subsequences which are not themselves a subsequence of another frequent subsequence present in the same sequence.
- Example: The subsequence (2P) $\rightarrow$ (LH) will be considered a maximal subsequence of sequences which do not also have a frequent supersequence such as (2P) $\rightarrow(\mathrm{LH}, \mathrm{U})$.

Frequent maximal subsequences: algorithm
(1) Find frequent subsequences for the selected support
(2) Starting from the longest obtained frequent subsequence

- Adjust the count of each of its subsequence
(by reducing their counts by the number of occurrences of the considered frequent sequence)
- Delete from the list subsequences with counts falling below the support threshold.
(3) Iterate on frequent subsequences ordered in decreasing order of length (using their already adjusted counts)


## ining Life Event Sequenc

## Maximal frequent sequence in pattern mining

- Our definition of a frequent maximal subsequence differs from the notion of maximal frequent sequence used in pattern mining, where a frequent sequence is said maximal if none of its supersequence is frequent.
- In pattern mining, if $s$ is a maximal frequent sequence, then none of its subsequences is a maximal frequent subsequence, even if it occurs frequently in sequences which do not include $s$.
- This is not very useful for life trajectories where we may be interested to know that
- It is frequent to start a union (U) without having a child afterwards (U) $\rightarrow$ (C)


## Mining Life Event Sequences <br> Maximal subsequences

Max subsequences, cohabitational-occupational events 12 most frequent maximal subsequences, min support 150

|  | Subsequence | Support | Count | \#Transitions | \#Events |
| ---: | :--- | :---: | :---: | :---: | :---: |
| 1 | $(2 \mathrm{P}) \rightarrow(\mathrm{C}, \mathrm{LH}, \mathrm{U})$ | 0.160 | 241 | 2 | 4 |
| 2 | $(\mathrm{FT}) \rightarrow(\mathrm{U}) \rightarrow(\mathrm{AH})$ | 0.159 | 239 | 3 | 3 |
| 3 | $(\mathrm{FT}) \rightarrow(\mathrm{U}) \rightarrow(\mathrm{PT})$ | 0.158 | 237 | 3 | 3 |
| 4 | $(\mathrm{FT}) \rightarrow(\mathrm{A}, \mathrm{LH}) \rightarrow(\mathrm{U})$ | 0.152 | 228 | 3 | 4 |
| 5 | $(2 \mathrm{P}, \mathrm{ED}) \rightarrow(\mathrm{FT}) \rightarrow(\mathrm{U})$ | 0.140 | 210 | 3 | 4 |
| 6 | $(\mathrm{FT}) \rightarrow(\mathrm{C}, \mathrm{LH}, \mathrm{U})$ | 0.140 | 210 | 2 | 4 |
| 7 | $(\mathrm{AH}) \rightarrow(\mathrm{C})$ | 0.137 | 206 | 2 | 2 |
| 8 | $(2 \mathrm{P}) \rightarrow(\mathrm{LH}) \rightarrow(\mathrm{AH})$ | 0.133 | 200 | 3 | 3 |
| 9 | $(\mathrm{AH}) \rightarrow(\mathrm{U})$ | 0.130 | 195 | 2 | 2 |
| 10 | $(2 \mathrm{P}, \mathrm{FT}) \rightarrow(\mathrm{LH}, \mathrm{U})$ | 0.129 | 194 | 2 | 4 |
| 11 | $(2 \mathrm{P}) \rightarrow(\mathrm{LH}) \rightarrow(\mathrm{PT})$ | 0.128 | 193 | 3 | 3 |
| 12 | $(2 \mathrm{P}, \mathrm{FT}) \rightarrow(\mathrm{AH})$ | 0.126 | 190 | 2 | 3 |

## ining Life Event Sequen

Max subsequences, cohabitational-occupational events 12 most frequent maximal subsequences, min support 200

|  | Subsequence | Support | Count | \#Transitions | \#Events |
| ---: | :--- | :---: | :---: | :---: | :---: |
| 1 | $(2 \mathrm{P}, \mathrm{FT}) \rightarrow(\mathrm{LH}, \mathrm{U})$ | 0.229 | 344 | 2 | 4 |
| 2 | $(\mathrm{~A}) \rightarrow(\mathrm{U}) \rightarrow(\mathrm{C})$ | 0.194 | 291 | 3 | 3 |
| 3 | $(2 \mathrm{P}, \mathrm{ED}) \rightarrow(\mathrm{LH})$ | 0.189 | 284 | 2 | 3 |
| 4 | $(\mathrm{ED}) \rightarrow(\mathrm{FT}) \rightarrow(\mathrm{C})$ | 0.189 | 284 | 3 | 3 |
| 5 | $(2 \mathrm{P}) \rightarrow(\mathrm{A}, \mathrm{LH}) \rightarrow(\mathrm{U})$ | 0.181 | 272 | 3 | 4 |
| 6 | $(2 \mathrm{P}, \mathrm{FT}) \rightarrow(\mathrm{LH}) \rightarrow(\mathrm{C})$ | 0.178 | 268 | 3 | 4 |
| 7 | $(2 \mathrm{P}) \rightarrow(\mathrm{LH}, \mathrm{U}) \rightarrow(\mathrm{C})$ | 0.168 | 253 | 3 | 4 |
| 8 | $(2 \mathrm{P}) \rightarrow(\mathrm{PT})$ | 0.166 | 250 | 2 | 2 |
| 9 | $(\mathrm{FT}) \rightarrow(\mathrm{LH}, \mathrm{U}) \rightarrow(\mathrm{C})$ | 0.166 | 250 | 3 | 4 |
| 10 | $(2 \mathrm{P}) \rightarrow(\mathrm{C}, \mathrm{LH}, \mathrm{U})$ | 0.160 | 241 | 2 | 4 |
| 11 | $(\mathrm{FT}) \rightarrow(\mathrm{U}) \rightarrow(\mathrm{AH})$ | 0.159 | 239 | 3 | 3 |
| 12 | $(\mathrm{FT}) \rightarrow(\mathrm{U}) \rightarrow(\mathrm{PT})$ | 0.158 | 237 | 3 | 3 |


| Mining Life Event SequencesMaximal subsequences |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |
| Frequent max-subsequences discriminating birth cohorts <br> Minsupport=150 |  |  |  |  |  |  |
|  | Subsequence | Chi-2 | Support | 1910-25 | 1926-45 | 1946-57 |
| 1 | $(\mathrm{A}) \rightarrow$ (PT) | 46.3 | 0.11 | 0.028 | 0.055 | 0.160 |
| 2 | $(\mathrm{FT}) \rightarrow(\mathrm{U}) \rightarrow(\mathrm{PT})$ | 38.5 | 0.16 | 0.000 | 0.114 | 0.210 |
| 3 | $(E D) \rightarrow(P T)$ | 36.8 | 0.11 | 0.028 | 0.065 | 0.159 |
|  | $(2 \mathrm{P}) \rightarrow(\mathrm{LH}) \rightarrow(\mathrm{PT})$ | 30.4 | 0.13 | 0.014 | 0.090 | 0.172 |
|  | $(2 \mathrm{P}) \rightarrow(\mathrm{U}) \rightarrow(\mathrm{PT})$ | 27.0 | 0.12 | 0.000 | 0.083 | 0.154 |
|  | $(2 \mathrm{P}) \rightarrow(\mathrm{C}, \mathrm{LH}, \mathrm{U})$ | 26.2 | 0.16 | 0.268 | 0.202 | 0.115 |
|  | $(\mathrm{U}) \rightarrow$ (UE) | 26.1 | 0.12 | 0.028 | 0.082 | 0.159 |
|  | $(\mathrm{FT}) \rightarrow(\mathrm{UE})$ | 22.9 | 0.10 | 0.028 | 0.068 | 0.137 |
|  | $(\mathrm{FT}) \rightarrow(\mathrm{C}) \rightarrow(\mathrm{PT})$ | 22.8 | 0.12 | 0.000 | 0.094 | 0.155 |
|  | $(\mathrm{FT}) \rightarrow(\mathrm{C}, \mathrm{LH}, \mathrm{U})$ | 21.8 | 0.14 | 0.155 | 0.185 | 0.100 |
|  |  |  |  |  |  |  |
| 28/10/2013gr 46/55 |  |  |  |  |  |  |

## Mining Life Event Sequen

Maximal subsequence

## Solutions change with chosen support

- As seen, solutions vary with chosen minsupport
- For minsupport $=0$, we get the set of complete event sequences.
- We are working on criteria to select an optimal minsupport
- to minimize the number of subsequences with no representative
- maximize the average number of representatives
- ..


## Mining Life Event Sequence <br> Maximal subsequences

Frequent max-subsequences discriminating between cohorts


## ning Life Event Sequences

 Conclusion
## Conclusion

- Three approaches for event sequences
- frequent episodes
- discriminant episodes
- cluster analysis (not addressed in this presentation)
- Complementary insights
- most common characteristics
- salient distinctions between groups
- identify types of trajectories
- Easy to extend to other types of analyses (representative sequences, discrepancy analyses, ...)


## Mining Life Event Sequences

Conclusion

## Conclusion

- Looking at frequent max-subsequences produces more directly interpretable results
- Issue: Solutions vary with the minsupport threshold


## Mining Life Event Sequences

Conclusion

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## ing Life Event Sequence

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## Mining Life Event Sequences <br> Conclusion

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[^1]:    Mining Life Event Sequences
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